THEORY AND METHODS

A brief conceptual tutorial on multilevel analysis in social epidemiology: investigating contextual phenomena in different groups of people

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Study objective: (1) To provide a didactic and conceptual (rather than mathematical) link between multilevel regression analysis (MLRA) and social epidemiological concepts. (2) To develop an epidemiological vision of MLRA focused on measures of health variation and clustering of individual health status within areas, which is useful to operationalise the notion of “contextual phenomenon”. The paper shows how to investigate (1) whether there is clustering within neighbourhoods, (2) to which extent neighbourhood level differences are explained by the individual composition of the neighbourhoods, (3) whether the contextual phenomenon differs in magnitude for different groups of people, and whether neighbourhood context modifies individual level associations, and (4) whether variations in health status are dependent on individual level characteristics.

Design and participants: Simulated data are used on systolic blood pressure (SBP), age, body mass index (BMI), and antihypertensive medication (AHM) ascribed to 25,000 subjects in 39 neighbourhoods of an imaginary city. Rather than assessing neighbourhood variables, the paper concentrated on SBP variance between individuals and neighbourhoods as a function of individual BMI.

Results: The variance partition coefficient (VPC) showed that clustering of SBP within neighbourhoods was greater for people with a higher BMI. The composition of the neighbourhoods with respect to age, AHM use, and BMI explained about one fourth of the neighbourhood differences in SBP. Neighbourhood context modified the individual level association between BMI and SBP. Individual level differences in SBP within neighbourhoods were larger for people with a higher BMI.

Conclusions: Statistical measures of multilevel variations can effectively quantify contextual effects in different groups of people, which is a relevant issue for understanding health inequalities.
people (level 1) nested within neighbourhoods (level 2). The individual outcome variable is SBP. For didactic reasons and to keep the model as simple as possible, only three individual variables were included: (1) age in years, (2) body mass index (BMI) in kg/m² (both of the aforementioned variables were centred on their overall mean of 49 years and 25 kg/m²), and (3) antihypertensive medication.

### Table 1

**Hypothetical multilevel regression analysis of systolic blood pressure (SBP) (mm Hg) in 25 000 people aged 35 to 64 from 39 neighbourhoods of a city**

<table>
<thead>
<tr>
<th>Model</th>
<th>Fixed effects Mean SBP of the city (intercept)</th>
<th>Regression coefficients (β, 95% confidence intervals (CI))</th>
<th>Random effects Components of variance</th>
<th>Proportional change in variance (PCV) by the new model</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td>Mean SBP of the city (intercept)</td>
<td>β (95% CI)</td>
<td>Variance (SE)</td>
<td>PCV</td>
</tr>
<tr>
<td></td>
<td>Model 1</td>
<td>130.2</td>
<td>36.2 (8.1)</td>
<td>Reference</td>
</tr>
<tr>
<td></td>
<td>Model 2</td>
<td>128.1</td>
<td>27.6 (6.4)</td>
<td>24%</td>
</tr>
<tr>
<td></td>
<td>Model 3</td>
<td>128.0</td>
<td>27.6 (6.4)</td>
<td>24%</td>
</tr>
<tr>
<td></td>
<td>Model 4</td>
<td>127.9</td>
<td>27.5 (6.4)</td>
<td>24%</td>
</tr>
<tr>
<td>Age in years</td>
<td>0.81 (0.78, 0.87)</td>
<td>0.80 (0.77, 0.86)</td>
<td>0.11 (0.03)</td>
<td>5.16 (0.31)</td>
</tr>
<tr>
<td>Body mass index (BMI)</td>
<td>0.88 (0.86, 0.92)</td>
<td>0.89 (0.83, 1.01)</td>
<td>0.16 (0.08)</td>
<td>5.16 (0.31)</td>
</tr>
<tr>
<td>Antihypertensive medication</td>
<td>14.7 (14.3, 15.3)</td>
<td>14.7 (14.3, 15.3)</td>
<td>0.92 (0.34)</td>
<td>5.16 (0.31)</td>
</tr>
</tbody>
</table>

**Notes:**
- **Fixed effects** and **random effects** are expressions that are often used in MLRA. In very simple terms, fixed effects are used to model means, whereas random effects are used to model variances. BMI, body mass index; ICC, intraclass correlation; VPC, variance partition coefficient. *As the variance is a function of individual BMI, the values in the table are for the intercepts (people with BMI equal to 25 kg/m²).†When performing statistical modelling, you try to find a function that predicts SBP as well as possible and, therefore, decrease unexplained variance. The goodness of this fit is measured by different statistical techniques. One very common technique that we used in our study model is the reduction in "deviance". This technique is used to evaluate the fit of consecutive models with additional terms."**

### Figure 1

The regression lines represent the association between body mass index (BMI) and systolic blood pressure (SBP) in five hypothetical neighbourhoods of an imaginary city. Note that the lines are parallel. The neighbourhood lines have a different intercept but a similar slope. Therefore, differences between the neighbourhoods are constant for every BMI value (that is, the differences between points A, B, C, D, and E, and between F, G, H, I, and J on the vertical dotted lines at BMI values 25 and 35 kg/m² are of similar magnitude). Note that the BMI value of 25 kg/m² corresponds to the mean BMI for the city and also corresponds to the value 0 for the centred BMI, as BMI is centred on its mean in the regression models.
respectively), and (3) whether any antihypertensive medication (AHM) was used. No neighbourhood variable was investigated in this article. For simplicity, age and BMI effects were assumed to be linear.

Our study model was adapted from an actual empirical investigation analysing countries rather than neighbourhoods that was published elsewhere.44

MLRA
Using MLRA we investigate (1) whether there is significant clustering within neighbourhoods (model 1), (2) to which extent neighbourhood level differences are explained by the individual composition of the neighbourhoods (model 2), (3) whether the contextual phenomenon differs in magnitude for different groups of people, and whether neighbourhood context modifies individual level associations (model 3), and (4) whether variations in health status are dependent on individual level characteristics (model 4).

The ‘empty’ MLRA model (model 1)
The empty MLRA model is more extensively discussed in a companion paper44 and elsewhere.6–8 It does not include explanatory variables but only estimates the city SBP mean and the neighbourhood level and individual differences in SBP. In this model, the variations in SBP between neighbourhoods are assumed to be of similar magnitude for every person. In using this model, we simply aim to identify a possible contextual phenomenon that can be quantified by clustering of SBP within neighbourhoods.15

The MLRA model with individual variables (model 2)
This model expands the empty model (model 1) by including the individual variables age, BMI and use of AHM as fixed effects. “Fixed effects” and “random effects” are expressions that are often used in MLRA. Essentially, fixed effects are used to model averages (for example, means or regression coefficients), whereas random effects are used to model differences (for example, neighbourhood variance).17

In equation 1 we present model 2 using non-conventional notation that will be better understood by readers not trained to read formal statistical notation. An individual level variable is shown by subscript I, and neighbourhood information shown by N. Readers who wish a more formal statistical notation are referred elsewhere.6–8

\[
\text{SBP}_I = \text{SBP}_C + \beta_1 \times \text{age}_I + \beta_2 \times \text{BMI}_I + \beta_3 \times \text{AHM}_I + (E_N + E_I) \tag{1}
\]

\[
\text{SBP}_I = \text{SBP} \text{ of a given individual (I) in a given neighbourhood.}
\]

Fixed effects
\[
\text{SBP}_I = \text{SBP} \text{ in people not on AHM and with average age and BMI (which correspond with a value of 0 as these variables are centred), and living in a neighbourhood with a shrunken residual equal to 0}\]

\[
\begin{align*}
\beta_1 &= \text{regression coefficient of the association between age and SBP} \\
\beta_2 &= \text{regression coefficient of the association between BMI and SBP} \\
\beta_3 &= \text{regression coefficient of the association between AHM and SBP}
\end{align*}
\]

Random effects
\[
\begin{align*}
E_N &= \text{neighbourhood shrunken residual} \\
E_I &= \text{individual residual}
\end{align*}
\]

In MLRA models, it is assumed that the residuals are normally distributed and that the individual level residuals and the neighbourhood level residuals are independent. In MLRA, both people and neighbourhoods are assumed to be randomly sampled from a population of individuals and a population of neighbourhoods.

As in simple regression analysis, the regression coefficients of the individual variables in MLRA describe the association between the individual level variables and SBP.* The regression coefficients in table 1 show that SBP increases with age and BMI, as expected. Use of AHM is associated with higher SBP, reflecting that the condition underlying this treatment is simply hypertension.

The presence of neighbourhood and individual residuals in the model reflects that SBP varies at both levels. The variance is a summary of the differences, and including individual variables in the statistical models allows us to obtain values of variances that are adjusted for age, BMI, and AHM use. The adjusted total SBP variance between people in the city \((V_{\text{total}})\) can be partitioned into a variance between neighbourhoods \((V_N)\) and a variance between people within neighbourhoods \((V_I)\) as explained more extensively in an earlier related paper.15

In both models 1 and 2, the neighbourhood SBP differences correspond to the neighbourhood variance of the intercept. In model 2, the intercept is the value of the outcome variable SBP when the explanatory variables are equal to zero. In that case, the expected intercept value is equal to \(SBP_c + E_N\), which is the neighbourhood SBP estimated mean for 49 year old people with a BMI of 25 kg/m² (as continuous individual level variables are centred on their means) without AHM treatment. However, the neighbourhood variance in model 2 is, in fact, the same for all the individuals, whatever their individual characteristics. This aspect can be seen graphically in figure 1, and can also be interpreted in saying that the relation between BMI and SBP is considered to be the same in all neighbourhoods. Using the coefficient estimates from table 1, the expected value of SBP increases by 0.88 mm Hg for every unit of increase in BMI, regardless of whether the person resides in a neighbourhood or another.

Proportional change in variance at different levels
Neighbourhood differences in mean SBP may be attributable to contextual influences or to differences in the individual composition of neighbourhoods in terms of age, BMI, AHM use, and other individual characteristics not considered in our didactic study model. By adjusting for individual characteristics in model 2, we take into account some part of the compositional differences and explain some of the neighbourhood variance detected in the empty model (model 1).† The equation for the proportional change in neighbourhood variance \(\text{PCV}_N\) is:

\[
\text{PCV}_N = \frac{V_{\text{total}} - V_N}{V_{\text{total}}} \times 100 \%
\]

* In MLRA, however, the mathematical interpretation of the regression coefficients is not exactly the same as in the standard non-multilevel model not adjusted for the neighbourhood residuals. Interested readers can obtain an extended explanation elsewhere.8

† Note however that individual characteristics may be in the causal pathway between neighbourhood characteristics and individual differences in SBP, so including individual characteristics in the model may result in understating the contribution of contextual influences to SBP. The interpretation of the PCV therefore depends on the individual variables included in the model, and on their hypothesised role (that is, confounding role, mediating role).

‡ The proportional change in variance is often referred to as “explained variance”. However, the addition of individual variables in the model may increase the second level variance. Indeed, in cases in which the neighbourhood differences are hidden by their individual composition, the total variance may decrease but the neighbourhood component of the variance increase. Therefore, “proportional change in the variance” is a more appropriate term than “explained variance”.

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where VN-1 is the neighbourhood variance in the empty model and VN-2 is the neighbourhood variance in the model including individual characteristics. For example, comparing model 1 with model 2, PCVN is equal to (36.2–27.6)/36.2. We conclude that 24% of the neighbourhood SBP variance in the empty model was attributable to the three compositional factors considered.

This equation can be adapted to calculate the proportional change of variance at the individual (I) level (PCVI), as individual SBP variance within neighbourhoods will also be explained by differences in age, BMI, and AHM use.

In table 1, we see that 29% of the individual SBP differences (that is, within neighbourhoods variance) in the empty model was attributable to differences in age, BMI, and use of AHM.

The intraclass correlation

Using the values of the adjusted variance at both levels we calculated the adjusted intraclass correlation (ICCAdj). We have explained the concept of ICC in a previous paper on this topic. This measure is of relevance, as it quantifies clustering of individual SBP within neighbourhoods and, therefore, can be used to operationalise the concept of contextual phenomena.

\[
PCV_I = \frac{V_{N-1} - V_{N-2}}{V_{N-1}}
\]

where \( V_{N-1} \) is the neighbourhood variance in the empty model and \( V_{N-2} \) is the neighbourhood variance in the model including individual characteristics. For example, comparing model 1 with model 2, \( PCV_N \) is equal to \((36.2–27.6)/36.2\). We conclude that 24% of the neighbourhood SBP variance in the empty model was attributable to the three compositional factors considered.

This equation can be adapted to calculate the proportional change of variance at the individual (I) level (PCVI), as individual SBP variance within neighbourhoods will also be explained by differences in age, BMI, and AHM use.

\[
PCV_I = \frac{V_{I-1} - V_{I-2}}{V_{I-2}}
\]

In table 1, we see that 29% of the individual SBP differences (that is, within neighbourhoods variance) in the empty model was attributable to differences in age, BMI, and use of AHM.
The intercept variance would be the neighbourhood variance for people with a BMI equal to 0 if BMI was not centred

\[ \text{ICCA}_{\text{Adj}} = \frac{V_{N-2}}{V_{N-2} + V_{I-2}} \]

The ICC_{Adj} is the proportion of total variance in SBP that remains at the neighbourhood level after taking into account the individual composition of the neighbourhoods in terms of age, BMI, and AHM use. Table 1 shows that about 8% (ICC equal to 0.08) of the individual residual differences in SBP were related to the neighbourhood level and might be attributable to contextual factors. Even if compositional confounding remains in the data, model 2 suggests that the neighbourhood context conditions a common level of blood pressure over and above individual age, BMI, and AHM use.

Note that in models 1 and 2, we have calculated a single ICC value for the whole city, with the assumption that all people are influenced by the neighbourhood context in an equivalent extent.

The multilevel regression model with individual variables and random slopes (model 3)

In model 3 (equation 5) we relinquish the idea that the magnitude of the association between BMI and SBP is similar in all neighbourhoods. Rather, we assume that the effect of BMI on SBP may vary depending on the neighbourhood context. For example, it is possible that contextual factors in some neighbourhoods have a higher impact on overweight people than in people with normal BMI. In model 3, therefore, we extend model 2 by allowing the regression coefficient of BMI to vary randomly at the neighbourhood level:

\[ \beta_{2c} = \text{mean regression coefficient of the association between BMI and SBP in the city} \]
\[ E_{N\times BMI} = \text{shrunk difference between } \beta_{2c} \text{ and the specific regression coefficient in a given neighbourhood} \]
\[ E_{N-c} = \text{shrunk difference between the city SBP mean and the neighbourhood SBP mean for individuals with a BMI equal to 25. See our previous related paper for an explanation of the concept of shrunken residual.} \]

Neighbourhood mean and slope differences (intercept and slope variances between neighbourhoods)

In model 3, aside from the neighbourhood differences in mean SBP (that is, the intercept variance \( V_{N-c} \)), each neighbourhood has its own regression coefficient for the association between BMI and SBP, and each neighbourhood coefficient deviates from the city mean regression coefficient (\( \beta_{2c} \)) by a residual amount (\( E_{N\times BMI} \)). This slope variability is measured by the slope variance (\( V_{N-BMI} \)). In MLRA, this procedure is called random slope analysis or random cross level interaction analysis. It suggests that the neighbourhood context modifies the individual level association between BMI and SBP. A graphic illustration of random slopes is presented in figure 2, where it may be seen that the slope of the association between BMI and SBP is steeper in some neighbourhoods than in others.

Correlation between the intercept and slope residuals

It may occur that in those neighbourhoods with a high mean SBP (a high intercept residual value), the slope of the association between BMI and SBP is steeper (the residual value for the slope is higher). We can express this connection as a coefficient of correlation according to equation 6:

\[ \text{Correlation} = \frac{\text{cov}(N-c, N\times BMI)}{\sqrt{V_{N-c} \times V_{N-BMI}}} \]

Table 1 shows that about 8% (ICC equal to 0.08) of the individual residual differences in SBP were related to the neighbourhood level and might be attributable to contextual factors.
where the variances \((V_{N-c}, V_{N-BMI})\) and the covariance between the intercept and slope residuals \(\text{Cov}(N-c, N-BMI)\) are parameters that are directly estimated by the multilevel model.

Table 1 shows that the slope variance \((V_{N-BMI})\) is 0.11, the intercept variance \((V_{N-c})\) is 27.6, and the covariance between the intercept and the slope residuals \(\text{Cov}(N-c, N-BMI)\) is 0.93. Using the estimates and applying equation 6 we find that the correlation between the intercept and the slope is equal to 0.53. Figure 3 illustrates this correlation and suggests that on average BMI has a stronger impact on SBP (that is, the slope of the association is steeper) in neighbourhoods with a higher mean level of SBP (that is, a higher value of the intercept).

Beyond the examining whether an individual level association varies between neighbourhoods, a relevant reason to consider random slopes is to examine whether neighbourhood differences in SBP have a different magnitude among people with different characteristics. Figures 2 and 4 give a graphic illustration of this concept. In our study model the neighbourhood variance now depends on individual BMI; it is no longer a single value as in models 1 and 2, but a function of BMI. The figure 2 shows that there is more neighbourhood variability in SBP among those who have a higher BMI. Considering neighbourhood variance as a function of individual level variables (equation 7) yields improved information on the shape of neighbourhood differences. The neighbourhood variance function and its confidence intervals are directly calculable by available software. The interested readers will find another practical example and a more formal statistical explanation elsewhere.

\[
V_N = V_{N-c} + 2 \times \text{Cov}(N-c, N-BMI) \times \text{BMI}_1 + V_{N-BMI} \times \text{BMI}_1^2
\]

Table 1 provides the values of the intercept variance, the slope variance, and the covariance between the intercept and the slope needed in equation 7. The full shape of the neighbourhood differences as a function of BMI is presented in figure 5A. These neighbourhood differences seem to be larger for overweight people, reflecting the fact that the neighbourhood context modifies the individual association between BMI and SBP.

Note that in models 1 and 2 with random intercept only, the neighbourhood level variance is assumed to be the same for all people. We can, therefore, compare the intercept variance in models 1 and 2 with any value of the variance function \(V_N\) in model 3.

It is important to note that the assumption that neighbourhood differences are the same for all people may conceal significant contextual effects that pertain to specific groups of people. In such cases, the neighbourhood heterogeneity can only be properly identified when random slopes are taken into account and the variance is calculated as a function of individual characteristics. Figure 4 contains a hypothetical situation in which the neighbourhood context modifies the individual association between BMI and SBP. In figure 4, the neighbourhood differences (intercept variance) is close to null; but for people whose centred BMI is over and under zero, the neighbourhood variance is very large and suggests that the context has apparent importance.

The multilevel regression model with individual variables, random slopes, and non-constant individual variance (model 4)

We can hypothesise that within each neighbourhood individual SBP differences are higher among those who are overweight than among people of normal BMI. In statistical terms this phenomenon is called individual level heteroscedasticity, meaning that the individual level variance in SBP is not constant along BMI. This is shown in figure 2, where triangles surrounding the regression lines show that individual level SBP variations within neighbourhoods increase with BMI. Absence of heteroscedasticity is a precondition for doing correct regression analysis. We can use MLRA to model non-constant individual level variance and obtain both relevant epidemiological information and correct regression estimates.

Model 4 (equation 8) is similar to model 3 (equation 5) but includes an additional individual level residual, which is related to BMI \((E_{1-BMI})\).
SBP_i = (SBP_{1c} + E_{N-i}^-) + \beta_0 \times AG_{E_i} \\
+ (\beta_2 + E_{N-\text{BMI}}) \times \text{BMI}_1 + \beta_1 \times \text{AlIM}_{1} \\
+ (E_{1-i}^- + E_{2-\text{BMI}}) \times \text{BMI}_{1} (8)

As every group of people with a particular BMI value has a specific individual level SBP variance, the individual level variance also becomes a function of BMI.

In equation 9 we provide a very simple expression of this function; more details on the equation may be found elsewhere. As in the case of neighbourhood variance, this variance function is directly calculable with available soft-wares.

\[ V_{1} = V_{1-c} + 2 \text{Cov}(\text{I-c}, \text{I-\text{BMI}}) \times \text{BMI}_{1} + V_{1-\text{BMI}} \times \text{BMI}_{1}^2 \] (9)

where \( V_{1-c} \) is the individual variance related to the intercept, \( V_{1-\text{BMI}} \) is the individual level variance related to BMI, and \( \text{Cov}(\text{I-c}, \text{I-\text{BMI}}) \) is the covariance between the two sets of individual level residuals.

Modelling of individual variance may not only significantly improve the fit of the statistical model and the validity of the regression estimates but also provides useful information when it comes to understanding SBP inequalities among individuals and neighbourhoods.

Variance functions and the variance partition coefficient (VPC)

In contrast with models 1 and 2, the neighbourhood level and individual level SBP variances in models 3 and 4 are no longer represented by one simple value. The complete picture of the variances in our study model is presented in figure 5A that has been obtained using equations 7 and 9. Figure 5A shows that both individual level and neighbourhood level variances increase considerably with BMI.

As suggested earlier, contextual influences may be stronger for certain groups of people such as overweight people, and less important for people with normal BMI. To quantify this aspect, we must examine how differences in SBP are partitioned between the individual level and the neighbour-

hood level for different BMI values. Rather than one ICC, we calculate a VPC that is function of the BMI (VPC_{BMI}), using the neighbourhood level (\( V_{N} \)) and individual level (\( V_{1} \)) variance functions of equations 7 and 9.

\[ \text{VPC}_{\text{BMI}} = \frac{V_{N}}{V_{N} + V_{1}} \] (10)

As shown in table 1, the VPC in model 3 is about 0.08 in people with a BMI of 25 kg/m², which means that 8% of the variations for these people were at the neighbourhood level. The VPC as a function of BMI is presented in figure 5B and shows that the VPC was equal to 0.14 (14%) for people with a BMI of 40 kg/m². Even if the values of variance function at the extremes of the curve are less reliable, the neighbourhood context seems to play a more relevant part for people with high BMI.

DISCUSSION

We have attempted, on the basis of hypothetical data, to illustrate the investigation of a contextual phenomenon that expressed itself as a clustering of individual SBP within neighbourhoods. According to our findings, this contextual phenomenon was—at least partly—indipendent of the composition of the neighbourhoods, and has a different impact on people with a different BMI. Indeed, as people living in the same neighbourhood share common contextual influences, they tend to experience a similar SBP level. For example, you might hypothesise that neighbourhood disparities in access and quality of hypertension care may condition neighbourhood specific degrees of blood pressure control over and above individual differences.

In our study model we found that the neighbourhood context influenced overweight people to a greater extent than normal weight people. Possible explanations could be that physicians in some neighbourhoods treat overweight people with hypertension more intensively than physicians in other neighbourhoods, or that interventions directed to factors that affect SBP (for example, physical activity or low salt diet) are more efficient in certain neighbourhoods.

The association between BMI and SBP was stronger in neighbourhoods with a higher level of SBP (the correlation between the intercept and the slope was equal to 0.53). To explain this pattern, it could be hypothesised that obese people tend to present higher SBP in neighbourhoods with less successful blood pressure control strategies (that is, with higher SBP means).

Therefore, as a whole, our study emphasises a vision of MLRA that focuses on measures of health variation for understanding the distribution of health status in the population. In describing complex patterns of variation, MLRA provides useful information for analysis of cross level (for example, neighbourhood-individual) causal pathways.

Despite their relevance, some of the concepts presented here have not been widely discussed in the literature on multilevel analysis. The analysis of patterns of variance, which has been undervalued in many previous investigations, contributes to our understanding of the distribution and determinants of geographical, social, and individual disparities in health status.

Our didactic presentation shows the link between the statistical concepts of MLRA and the social epidemiological notion of contextual phenomenon and permits a better assessment of the interest of MLRA in social medicine and public health research.

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REFERENCES


Speaker’s corner

Binge drinker

In addressing the moral consequences of classification, Bowker and Star have remarked that “each category valorizes some point of view and silences another”.1 Unusually in medicine, such valorisation has silently entered the Read Codes with the announcement by the NHS Centre for Coding and Classification in January 2004 of the addition of “136R. Binge drinker”. Medical terms usually qualify a condition or disease rather than label the person who has it. The reason is that personal labels may carry negative connotations, arousing resistance or defensiveness, whereas terms includes “binge drinking” (“a pattern of heavy drinking that occurs in an extended period set aside for the activity”).2 The Health Development Agency purpose’ and also offers “bout drinking” and “spree drinking” for the activity.2 The Health Development Agency harm reduction strategy uses the definition of eight or more units in a single session for men and six or more for women.5 Definitions of binge drinking that occurs in an extended period set aside for the idea of contextual phenomenon. J Epidemiol Community Health 2005;59:443–500.

REFERENCES